# Revisiting the double checkpointing algorithm a.k.a the buddy algorithm

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#### ICL Lunch Talk



# Motivation





410 up, 252 down



1: a good friend that you are confortable being around and sharing things with.

2: a condescending term used sarcastically to describe someone that you consider below yourself.

"I'm going to have some beers with my buddy tonight."

"Buddy just told me I can't park my car here."

# buddy 🗾 👪 🚨

**277** up, **160** down



A nice word that men use in presenting some sort of emotional affection towards other men.

Man #1: I'm really scared.

Man #2: Everything is going to be okay, buddy.

Introduction



7 up, 4 down



a douchebag, asshole, or someone else that annoys you/gets on your nerves. Usually another driver on the road.

"Move it, buddy!"

Triple checkpointing algorithm

## Motivation

Checkpoint transfer and storage
 ⇒ critical issues of rollback/recovery protocols

• Stable storage: high cost

- Distributed in-memory storage:
  - © Much better scalability
  - © Risk of non-recoverable failures

# Outline

- Double checkpointing algorithm
- Analysis
- Triple checkpointing algorithm
- Experiments

# Outline

- Double checkpointing algorithm

### Main idea

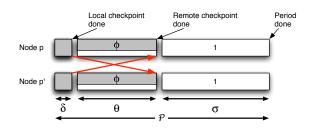
- Store checkpoints in local memory ⇒ no centralized storage
- Replicate checkpoints ⇒ application survives single failure
- Still, risk of fatal failure in some (unlikely) scenarios

# Double checkpoint algorithm

- Platform nodes partitioned into pairs
- Each node in a pair exchanges its checkpoint with its buddy
- Each node saves two checkpoints:
  - one locally: storing its own data
  - one remotely: receiving and storing its buddy's data

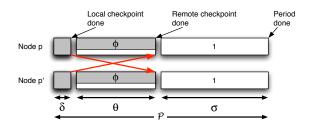
#### Two algorithms

- blocking version by Zheng, Shi and Kalé
- non-blocking version by Ni, Meneses and Kalé



- Checkpoints taken periodically, with period  $\mathcal{P} = \delta + \theta + \sigma$
- Phase 1, length  $\delta$ : local checkpoint, blocking mode. No work
- Phase 2, length  $\theta$ : remote checkpoint. Overhead  $\phi$
- Phase 3, length  $\sigma$ : application at full speed 1

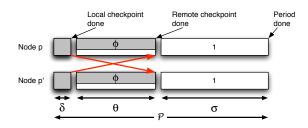




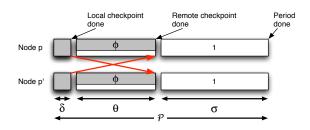
Work in failure-free period:

$$W = (\theta - \phi) + \sigma = \mathcal{P} - \delta - \phi$$

# Cost of overlap



- Overlap computations and checkpoint file exchanges
- Large  $\theta$ 
  - ⇒ more flexibility to hide cost of file exchange
  - $\Rightarrow$  smaller overhead  $\phi$



- ullet  $heta= heta_{
  m min}$ : fastest communication, fully blocking  $\Rightarrow \phi= heta_{
  m min}$
- ullet  $heta= heta_{
  m max}$ : full overlap with computation  $\Rightarrow \phi=0$
- Linear interpolation  $\theta(\phi) = \theta_{\min} + \alpha(\theta_{\min} \phi)$ 
  - ullet  $\phi=0$  for  $heta= heta_{ ext{max}}=(1+lpha) heta_{ ext{min}}$
  - $\alpha$ : rate of overhead decrease w.r.t. communication length



# Assessing the risk

- After failure: downtime D and recovery from buddy node
- Two checkpoint files lost, must be re-sent to faulty processor
  - Checkpoint of faulty node, needed for recovery  $\Rightarrow$  sent as fast as possible, in time  $R = \theta_{\min}$
  - Checkpoint of buddy node, needed in case buddy fails later on **⇒ ??**
- Application at risk until complete reception of both messages

# Checkpoint of buddy node

#### Scenario DOUBLENBL

- File sent at same speed as in regular mode, in time  $\theta(\phi)$
- $\bullet$  Overhead  $\phi$

Introduction

• Favors performance, at the price of higher risk

#### Scenario DOUBLEBOF

- File sent as fast as possible, in time  $\theta_{\min} = R$
- Overhead R
- Favors risk reduction, at the price of higher overhead

Experiments

# Outline

- 1 Double checkpointing algorithm
- 2 Analysis
- 3 Triple checkpointing algorithm
- 4 Experiment

# Computing the waste

#### Waste

= fraction of time where nodes do not perform useful computations

- T<sub>base</sub> base time without any overhead due to resilience
- Time for fault-free execution  $T_{\rm ff}$ 
  - Period  $\mathcal{P} \Rightarrow W = \mathcal{P} \delta \phi$  work units
  - $T_{\rm ff} = \frac{\mathcal{P}}{W} T_{\rm base}$
  - $\left(1 \frac{\delta + \phi}{\mathcal{P}}\right) T_{\mathsf{ff}} = T_{\mathsf{base}}$

# Computing the waste

- T expectation of total execution time
  - ightarrow single application
  - → platform life (many jobs running concurrently)
- In average, failures occur every M seconds
  - $\rightarrow$  platform MTBF  $M = \mu_{\mathsf{ind}}/p$
- For each failure,  $\mathcal{F}$  seconds are lost:

$$T = T_{\rm ff} + \frac{T}{M} \mathcal{F}$$

$$(1 - \frac{\mathcal{F}}{M})(1 - \frac{\delta + \phi}{\mathcal{P}})T = T_{\mathsf{base}}$$

# Computing the waste

$$egin{aligned} ig(1- ext{Waste}ig) & \mathcal{T} = \mathcal{T}_{\mathsf{base}} \ \end{aligned}$$
  $ext{Waste} = 1 - ig(1 - rac{\mathcal{F}}{\mathit{M}}ig) ig(1 - rac{\delta + \phi}{\mathcal{P}}ig)$ 

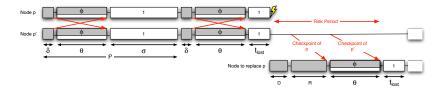
Two sources of overhead:

 $\mathrm{WASTE}_{\mathrm{ff}} = \frac{\delta + \phi}{\mathcal{P}}$ : checkpointing in a fault-free execution  $\mathrm{WASTE}_{\mathsf{fail}} = \frac{\mathcal{F}}{M}$ : failures striking during execution

 $Waste = Waste_{fail} + Waste_{ff} - Waste_{fail}Waste_{ff}$ 

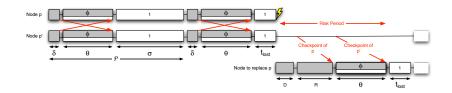
### Time lost due to failures

#### Scenario DOUBLENBL



$$\mathcal{F}_{\mathsf{nbl}} = D + R + \frac{\delta}{\mathcal{P}} \mathcal{R} \mathcal{E}_1 + \frac{\theta}{\mathcal{P}} \mathcal{R} \mathcal{E}_2 + \frac{\sigma}{\mathcal{P}} \mathcal{R} \mathcal{E}_3$$

# Failure during third part of period



- No work during D + R
- Then re-execution of  $W_{lost} = (\theta \phi) + t_{lost}$ 
  - First  $\theta$  seconds: overhead  $\phi$  (receiving buddy checkpoint)
  - Then full speed
- $\mathbb{E}\left(t_{lost}\right) = \frac{\sigma}{2}$  (failures strike uniformly)

$$\mathcal{RE}_3 = \theta + \frac{\sigma}{2}$$



### aste millimzation

Scenario DOUBLENBL 
$$\mathcal{F}_{nbl} = D + R + \theta + \frac{P}{2}$$

$$\mathcal{TO}_{\mathsf{nbl}} = \sqrt{2(\delta + \phi)(M - R - D - \theta)}$$

Scenario DoubleBoF 
$$\mathcal{F}_{bof} = \mathcal{F}_{nbl} + R - \phi$$

$$\mathcal{TO}_{\mathsf{bof}} = \sqrt{2(\delta + \phi)(M - 2R - D - \theta + \phi)}$$

Not same  $\delta$  as in Young/Daly for coordinated checkpointing on global remote storage  $\ensuremath{\mathfrak{G}}$ 



### Waste minimization

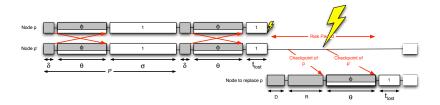
Scenario DOUBLENBL 
$$\mathcal{F}_{\mathsf{nbl}} = D + R + \theta + \frac{\mathcal{P}}{2}$$
 
$$\mathcal{TO}_{\mathsf{nbl}} = \sqrt{2(\delta + \phi)(M - R - D - \theta)}$$

Scenario DOUBLEBOF 
$$\mathcal{F}_{\mathsf{bof}} = \mathcal{F}_{\mathsf{nbl}} + R - \phi$$
 
$$\mathcal{TO}_{\mathsf{bof}} = \sqrt{2(\delta + \phi)(M - 2R - D - \theta + \phi)}$$

Not same  $\delta$  as in Young/Daly for coordinated checkpointing on global remote storage  $\ensuremath{\mathfrak{G}}$ 



Introduction



Application at risk until complete reception of both messages:

- Risk =  $D + R + \theta$  for DOUBLENBL
- Risk = D + 2R for DoubleBoF

#### Analysis:

- Failures strike with uniform distribution over time
- $\lambda = \frac{1}{nM}$  instantaneous processor failure rate

Success probability  $\mathbb{P}_{\text{double}} = (1 - 2\lambda^2 T \text{Risk})^{n/2}$ 

Introduction

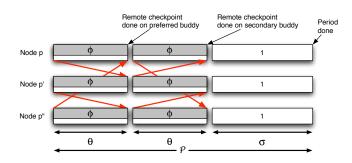
Consider a pair made of one processor and its buddy:

- Probability of first processor failing:  $\lambda T$ ,
- Probability of one failure in the pair :  $1-(1-\lambda T)^2 \approx 2\lambda T$
- ullet Probability of second failure within risk period:  $\lambda {\sf Risk}$
- Probability of fatal failure in the pair:  $(2\lambda T)(\lambda Risk)$
- Probability of application fatal failure:  $1 (1 2\lambda^2 T \text{Risk})^{n/2}$

Success probability 
$$\mathbb{P}_{\text{double}} = (1 - 2\lambda^2 T \text{Risk})^{n/2}$$
 compare to  $\mathbb{P}_{\text{base}} = (1 - \lambda T_{\text{base}})^n$ 

# Outline

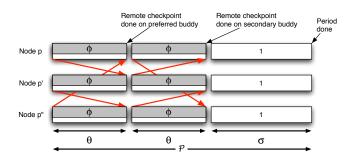
- Triple checkpointing algorithm



- Processors organized in triples
- Each processor has a preferred buddy and a secondary buddy
- Rotation of buddies

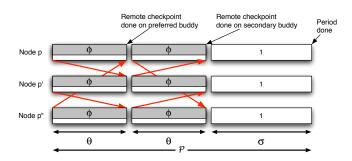


Introduction



- Waste in fault-free execution tends to zero
- Application failure = three successive failures within a triple  $\Rightarrow$  Smaller risk even for large  $\theta$
- Only need non-blocking version TRIPLE





- Copy-on-write for local checkpoint file
- Same memory usage as double checkpointing algorithm



# Analysis

Introduction

#### Waste

- $\bullet$  Wastefail same as for DoubleNBL
- Waste<sub>ff</sub> =  $\frac{2\phi}{\mathcal{P}}$  instead of Waste<sub>ff</sub> =  $\frac{\delta+\phi}{\mathcal{P}}$  for DoubleNBL

#### Risk

- Risk =  $D + R + 2\theta$
- Success probability  $\mathbb{P}_{\text{triple}} = (1 6\lambda^3 T \text{Risk}^2)^{n/3}$

# Outline

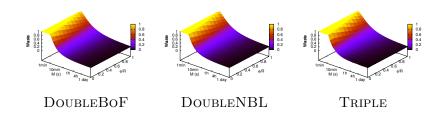
- Experiments

# **Scenarios**

Scenario	D	δ	$\phi$	R	$\alpha$	n
Base	0	2	$0 \le \phi \le 4$	4	10	$324 \times 32$
Exa	60	30	$0 \le \phi \le 60$	60	10	$10^{6}$

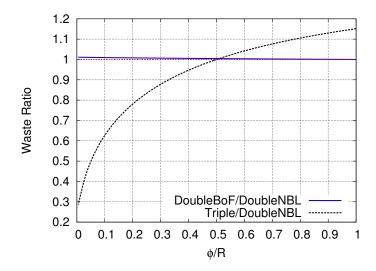
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## Waste for scenario Base

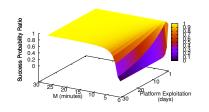


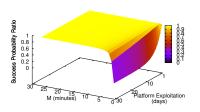
Waste as a function of  $\phi/R$  and M





# Success probability for scenario Base





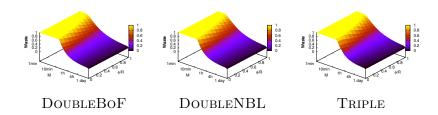
Ratio DoubleNBL/ DoubleBoF

Ratio DoubleBoF/ Triple

Relative success probability function of M and platform life T ( $\theta = (\alpha + 1)R$ )



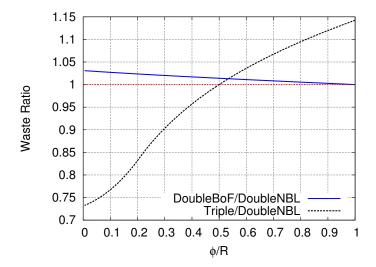
# Waste for scenario Exa

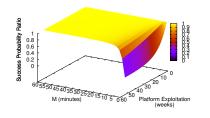


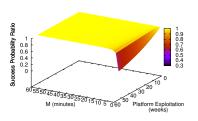
Waste as a function of  $\phi/R$  and M



# Waste for scenario Exa(M = 7h)







Ratio DoubleNBL/ DoubleBoF

Ratio DoubleBoF/ Triple

Relative success probability function of M and platform life T ( $\theta = (\alpha + 1)R$ )



### Conclusion

#### Double checkpointing

- Revisiting algorithms by Zheng, Shi and Kalé and by Ni, Meneses and Kalé
- New version DoubleBoF: reduce risk duration, at the cost of increasing failure overhead
- New parameter  $\alpha$  for transfer cost overlap
- Unified model for performance/risk bi-criteria assessment

### Conclusion

#### Triple checkpointing

- Save checkpoint on two remote processes instead of one, without much more memory or storage requirements
- Excellent success probability, almost no failure-free overhead

Analysis

- Assessment of performance and risk factors using unified mode
- Realistic scenarios conclude to superiority of TRIPLE

### Conclusion

#### Future work

- Study real-life applications and propose refined values for  $\alpha$ for a set of widely-used benchmarks
- Very small MTBF values on future exascale platforms
  - ⇒ combine distributed in-memory strategies with uncoordinated or hierarchical checkpointing protocols

https://www.youtube.com/watch?v=yGrVNpFJbLI